

n, t are malicious, committing a single tx.

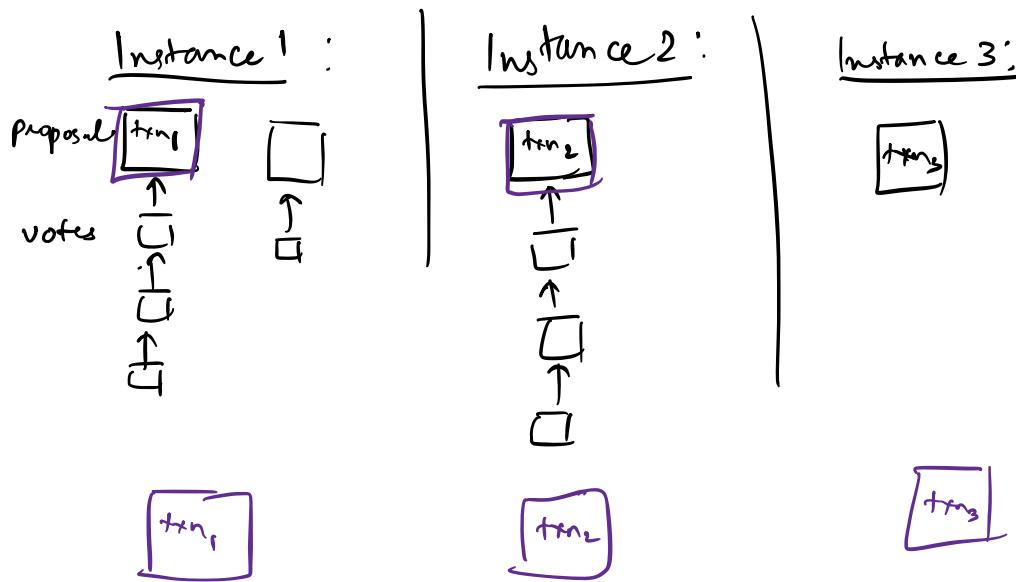
- ↳ Committing a single $\xrightarrow{\text{tx}}$ many
- ↳ Notion of rounds; message delays
- ↳ fixed set of parties.

Committing a single tx to many txns:

Large blocks:

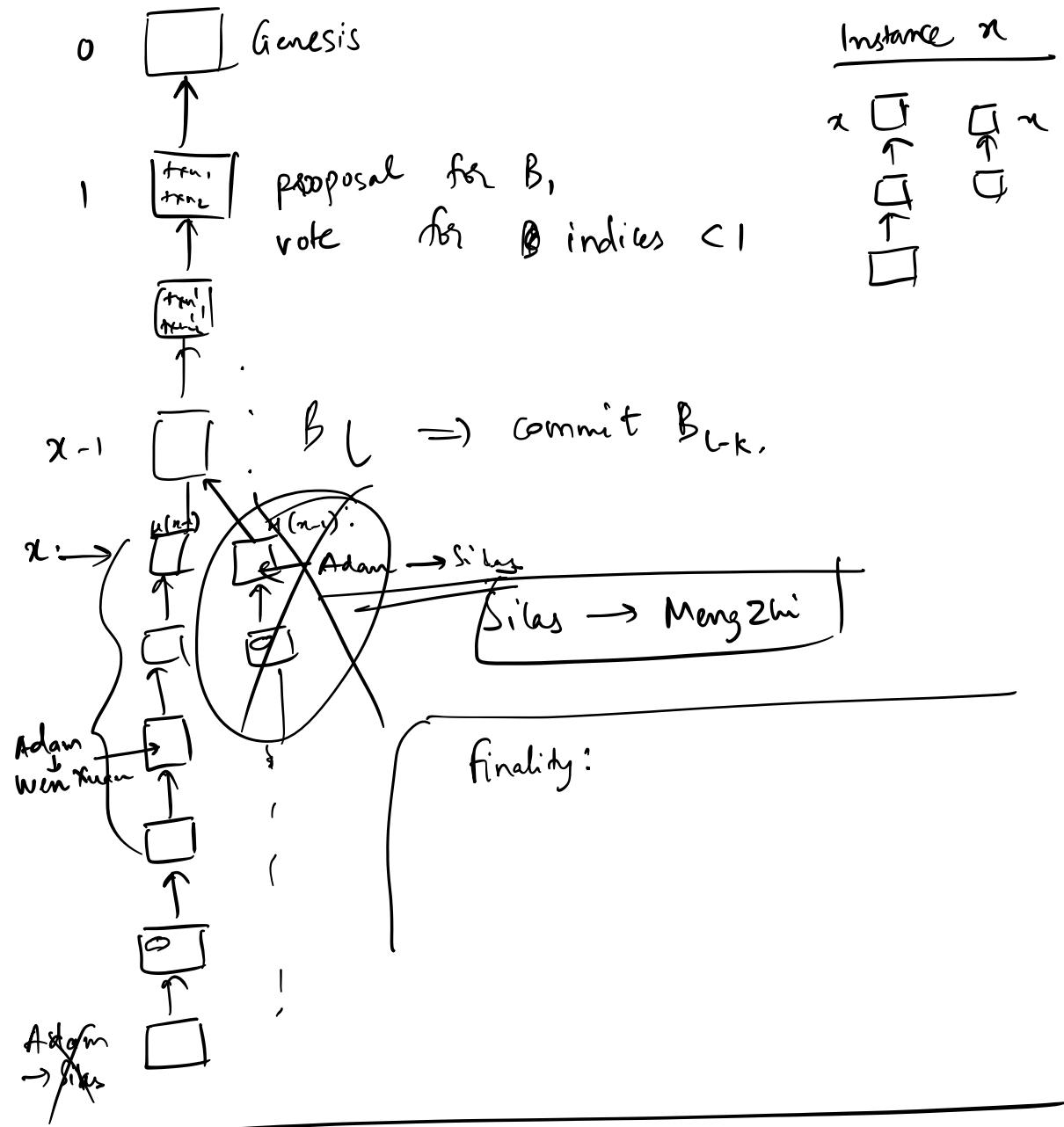
- ↳ we may not know of all txns.
- ↳ they take a lot of time to propagate.

Ran consensus protocol multiple times:



→ Each block contain some txns: $1 \xrightarrow{\text{MB}} (max)$.
↳ 4 MB.

→ block chaining



n parties, t malicious:

X fixed set of parties. I do not know each other

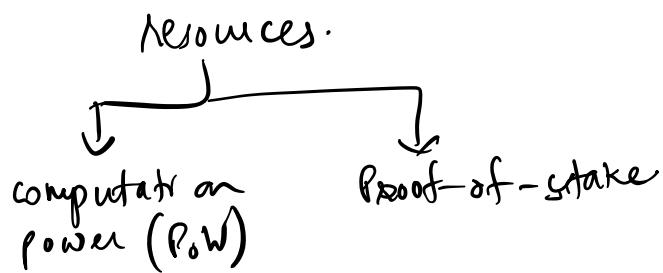
— Join or leave the system at any time.

"decommissioned": no identities associated with them.

"pseudonyms".

"Bhargav": B123
B456
X579 } arbitrarily
many parties.

Assumption: The resource held by any adversary is less than that held by honest parties.

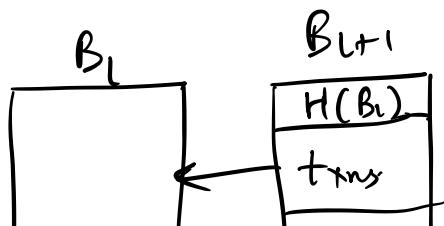


PoW: Moderately hard puzzles

$H(\underline{\quad} | n) \Rightarrow y$. (infeasible).

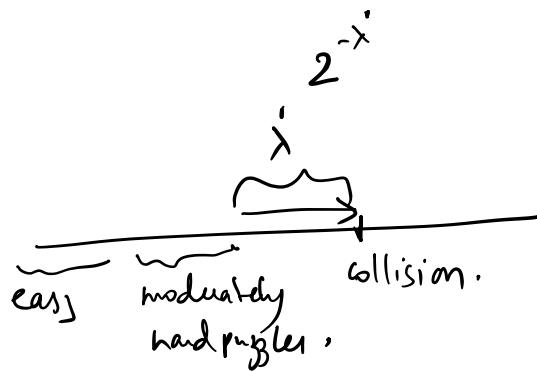
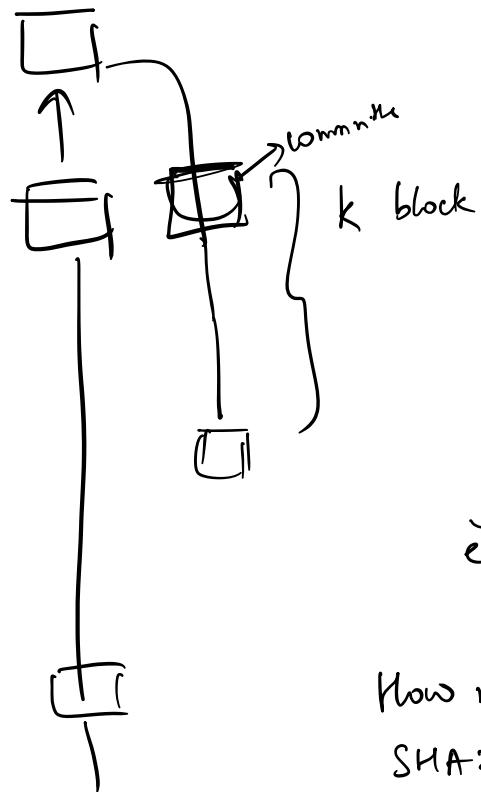
↓
random. ↓
 256 bits.

probabilistic: $H(txns | \text{nonce } n) \Rightarrow \underbrace{000}_{H(B_i)} \underbrace{0 \dots}_{2^x}$



txns nonce

$$H(\underbrace{\text{txns}}_{\text{keep changing!}} \mid \underbrace{\text{nonce}}_{\uparrow} \mid \underbrace{H(B_i)}_{\uparrow}) \Rightarrow \overbrace{00000000000000000000000000000000}^{\lambda}$$



How many zeros?

SHA256: collision?

After how many blocks, can I think of SHA256 as being insecure?